Traffic-Aware Rule-Cache Assignment in SDN: Security Implications

S. Misra¹ N. Saha¹ R. Bhakta²

¹Department of Computer Science and Engineering Indian Institute of Technology, Kharagpur

²Department of Computer Science and Engineering National Institute of Technology, Durgapur



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Match-action flow-rules for data-plane forwarding





- Match-action flow-rules for data-plane forwarding
- Limited flow-rule capacity at SDN switches





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- \blacktriangleright Compression-based strategies \rightarrow unseen flows





 TCAM hardware augmented with inexpensive software switches^{1 2}



Hardware switch

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- \blacktriangleright Distributed software switches \rightarrow scalability and fault tolerance
- Non-uniform latencies between hardware and software cache instances + many-to-many mapping → rule-cache assignment problem



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- Minimize software cache instances (static)
- Traffic-aware assignment (dynamic)



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• Control overhead
$$o(t) = \sum_j \sum_j h_{ij} \alpha(t)_i x(t)_{ij}$$



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- Efficient solution needed for dynamic system

Based on matching theory concepts¹

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 - Hardware switches' objective \rightarrow minimize delay $\delta(t)$
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- Third stage: two sided matching
- 1: Each $j \in C$ sends association request to its preferred subset $C_i(\mathcal{H})$.
- 2: Each $i \in \mathcal{H}$ refuses all expect the preferred q_i^{ft} cache instances.
- 3: repeat
- 4: Each $j \in C$ sends association request to its preferred subset $C_i(\mathcal{H})$, including those already sent to who have not refused it yet.
- 5: Each $i \in \mathcal{H}$ refuses all except the preferred q_i^{ft} cache instances.
- 6: until convergence to a pairwise-stable outcome

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 Solved minimum cache assignment using GLPK solver



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- Solved minimum cache assignment using GLPK solver
- ▶ No. of caches \rightarrow approx. 15% of hardware switches



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- MDC suffers due to load imbalance



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- Algorithm quickly converges in a few iterations
- No. of cache instances does not affect the iterations significantly
- Efficient for dynamic re-assignment with varying traffic conditions



Attacks specific to SDN include denial-of-service by attacking control-plane or flow-table¹

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- Dynamic re-assignment capability reduces network overhead

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Thank You